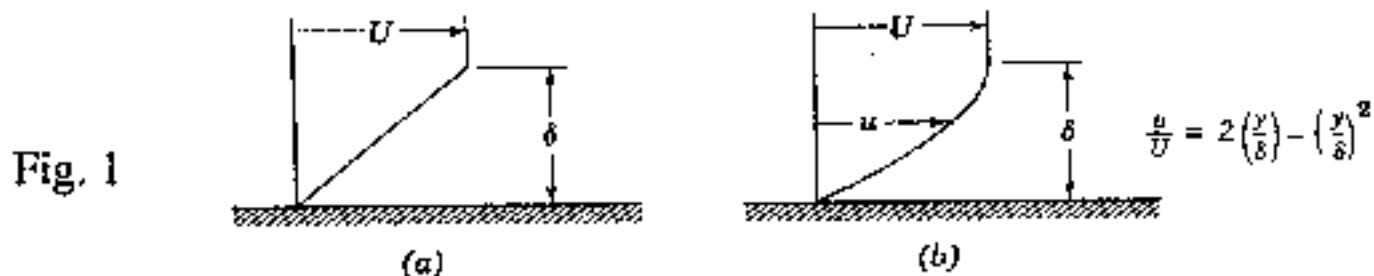


八十五學年度 動力機械系(所) 甲 組碩士班研究生入學考試

科目 熱流學(II) 科號 2501 共 2 頁第 1 頁 *請在試卷【答案卷】內作答

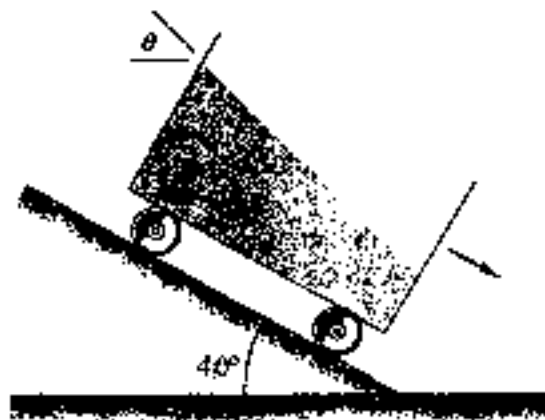
Fluid Mechanics

- 1a. Two hypothetical boundary-layer velocity profiles are shown. Derive the expression for the momentum flux of each profile. (10 %)
- 1b. If the pressure gradient conditions are the same for both cases, which would be more likely to separate first? Why? (10 %)



2. The tank of water in Fig. 2 accelerates uniformly by freely rolling down a 40° incline. If the wheels are frictionless, what is the angle θ ? Why? (5 %)

Fig. 2



Heat Transfer

- 3a. Derive the differential equation of heat transfer problem for a fully developed laminar flow between parallel plates in which one plate is insulated and the other is heated uniformly with q_0 . Please list all assumptions (8 %)
- 3b. Find the solution for the temperature distribution and Nusselt number. (8 %)
- 3c. If the blackbody radiation between two plates is not negligible, how will you modify the governing equations? (4 %)
4. What distinguishes gas radiation from blackbody radiation? (5 %)

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5. Please predict one change in natural phenomena or engineering application,
- (a) if there is no maximum density for water at 4 °C,
 - (b) if the viscosity of oil increases with the increase in temperature,
 - (c) if the density of air increases with the increase in temperature,
 - (d) the reflectivity of metal is small (near zero),
 - (e) if the temperature of gases increase with expansion.

and explain the reason for the change for each item. (20%)

6. A long circular rod insulated circumferentially is kept initially at temperature T_0 . The length of the rod is L . The temperature at both ends of the rod is drop to $T=0$ at $t>0$. Please give the one-dimensional governing equation for the temperature and the associate boundary conditions, and solve the problem. (15%)

7. A long square bar with side length D , the temperatures at $X=0$ and $Y=0$ are maintained at 0, and the temperatures at $X=D$ and $Y=D$ are kept at 1.0. Please find the steady state temperature at positions $(X,Y)=(1/3, 1/3)$, $(1/3, 2/3)$, $(2/3, 1/3)$, and $(2/3, 2/3)$. The steady 2-D heat conduction equation is

$$\partial^2 T / \partial X^2 + \partial^2 T / \partial Y^2 = 0$$

Please use finite difference method and a grid size $1/3$ in both X and Y directions. (15%)